

# YEAR 9 — REPRESENTATIONS...

# Probability

@whisto\_maths

## What do I need to be able to do?

By the end of this unit you should be able to:

- Find single event probability
- Find relative frequency
- Find expected outcomes
- Find independent events
- Use diagrams to work out probabilities

## Keywords

**Probability:** the chance that something will happen

**Relative Frequency:** how often something happens divided by the outcomes

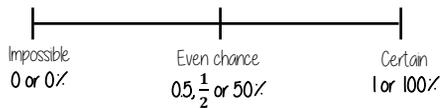
**Independent:** an event that is not effected by any other events.

**Chance:** the likelihood of a particular outcome.

**Event:** the outcome of a probability — a set of possible outcomes.

**Biased:** a built in error that makes all values wrong by a certain amount.

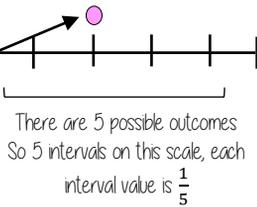
## The probability scale



The more likely an event the further up the probability it will be in comparison to another event (It will have a probability closer to 1)



There are 2 pink and 2 yellow balls, so they have the same probability



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## Single event probability

Probability is always a value between 0 and 1



The probability of getting a blue ball is  $\frac{1}{5}$   
∴ The probability of NOT getting a blue ball is  $\frac{4}{5}$

The sum of the probabilities is 1

The table shows the probability of selecting a type of chocolate

| Dark | Milk | White |
|------|------|-------|
| 0.15 | 0.35 |       |

$$P(\text{white chocolate}) = 1 - 0.15 - 0.35 = 0.5$$



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## Relative Frequency

$$\frac{\text{Frequency of event}}{\text{Total number of outcomes}}$$

Remember to calculate or identify the overall number of outcomes!

| Colour | Frequency | Relative Frequency |
|--------|-----------|--------------------|
| Green  | 6         | 0.3                |
| Yellow | 12        | 0.6                |
| Blue   | 2         | 0.1                |
|        | 20        |                    |

Relative frequency can be used to find expected outcomes

e.g. Use the relative probability to find the expected outcome for green if there are 100 selections

$$\text{Relative frequency} \times \text{Number of times} \\ 0.3 \times 100 = 30$$

## Expected outcomes

Expected outcomes are estimations. It is a long term average rather than a prediction.

| Dark | Milk | White |
|------|------|-------|
| 0.15 | 0.35 | 0.5   |

The sum of the probabilities is 1

An experiment is carried out 400 times

Show that dark chocolate is expected to be selected 60 times

$$0.15 \times 400 = 60$$

## Independent events



The rolling of one dice has no impact on the rolling of the other. The individual probabilities should be calculated separately.

$$\text{Probability of event 1} \times \text{Probability of event 2}$$



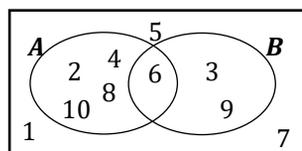
$$P(5) = \frac{1}{6} \quad P(R) = \frac{1}{4}$$

Find the probability of getting a 5 and a red

$$P(5 \text{ and } R) = \frac{1}{6} \times \frac{1}{4} = \frac{1}{24}$$

## Using diagrams

Recap Venn diagrams, Sample space diagrams and Two-way tables



|       | Car | Bus | Wak | Total |
|-------|-----|-----|-----|-------|
| Boys  | 15  | 24  | 14  | 53    |
| Girls | 6   | 20  | 21  | 47    |
| Total | 21  | 44  | 35  | 100   |

The possible outcomes from tossing a coin

The possible outcomes from rolling a dice

|   | 1  | 2  | 3  | 4  | 5  | 6  |
|---|----|----|----|----|----|----|
| H | 1H | 2H | 3H | 4H | 5H | 6H |
| T | 1T | 2T | 3T | 4T | 5T | 6T |